

Introduction

Recently, much progress has been made to bring 3D-PTV outside the laboratory to apply in real-world settings; however, there are many challenges yet to be overcome. The limited measuring volume of the 3D-PTV system is one important challenge, which needs to be extended to cover all the measuring volume [1]. In buildings and in large areas such as conference halls, clean rooms, inside the plane cabin, large-scale 3D-PTV could play a significant role in order to predict the trajectory and velocity of the air and airborne pollutants.

➤ Why large scale PTV is crucial?

1. Energy: saving energy
2. Environmental efficiency: thermal comfort, predicting airborne pollutants



Clean room



Inside a plane cabin



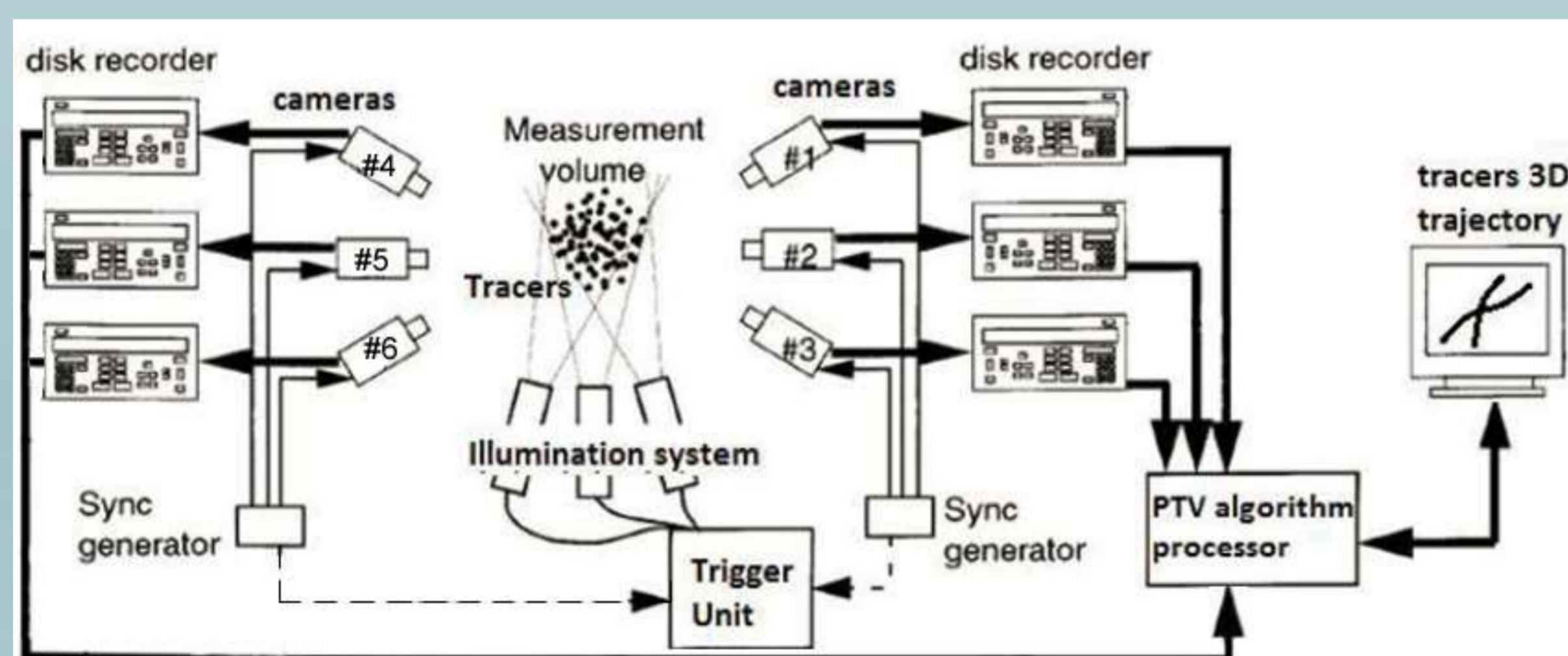
Conference hall



Inside the home

Methods

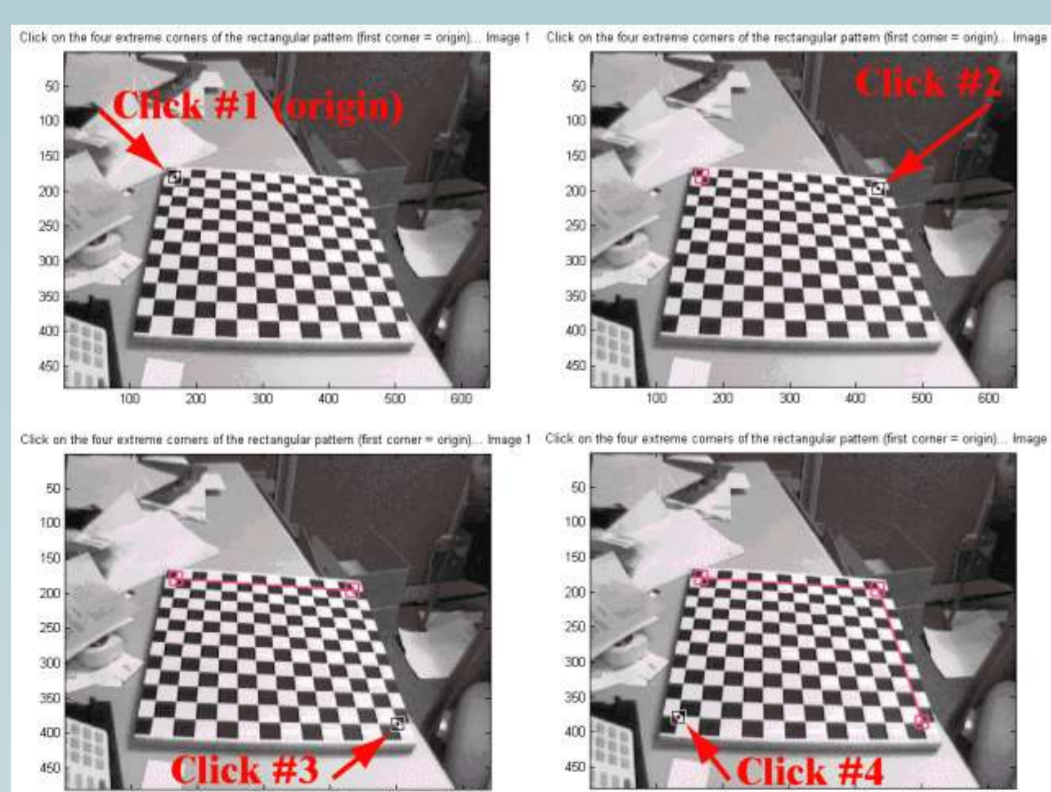
- Two 3D-PTV systems are being considered.
- Each system is composed of at least 3 cameras
- The cameras should be time synchronous



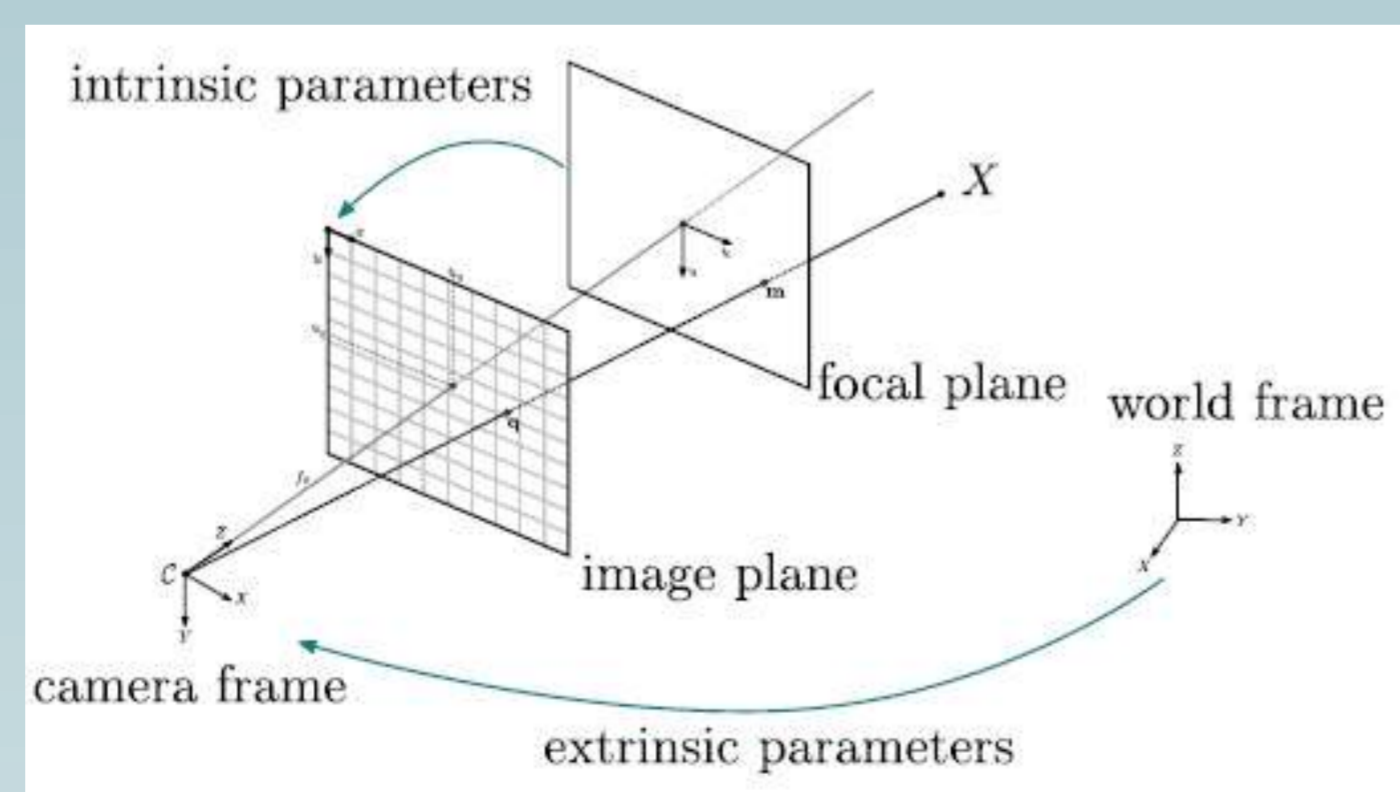
Schematic representation of the experimental setup

The main procedures performed are as follows:

- Multiple Camera Calibration: separately calculating intrinsic and extrinsic parameters using the pinhole camera model [2]
- The calibration method proposed by Zhang [3] and implemented in Matlab by Bouguet [4] in a Camera Calibration Toolbox.

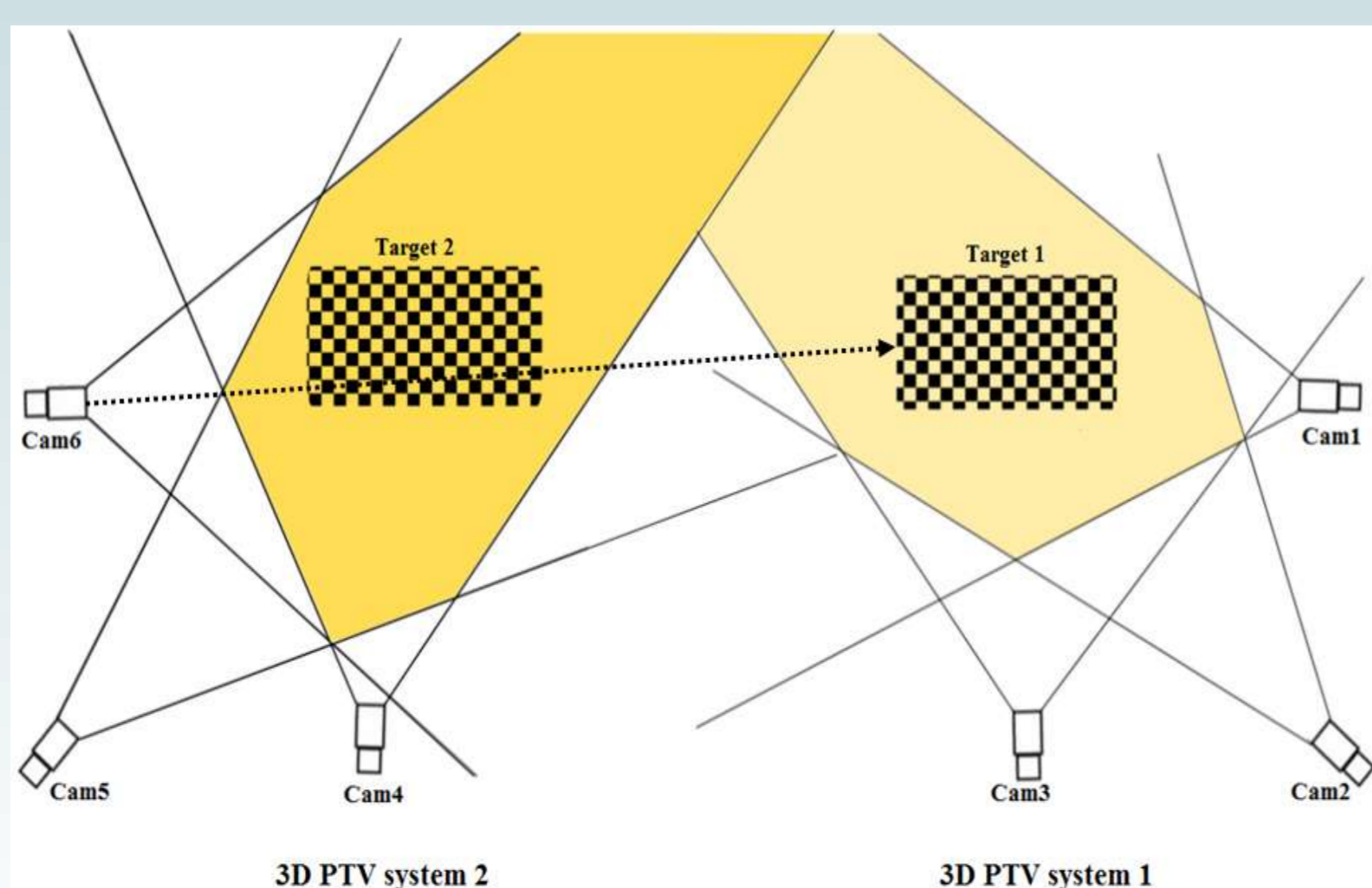


Calibration toolbox



Pinhole camera model

- At least one camera should have a view over the calibration target of the other system.



3D PTV system 2

3D PTV system 1

Results

- Transforming camera i coordinates system XX_C into the calibration target coordinate system XX :

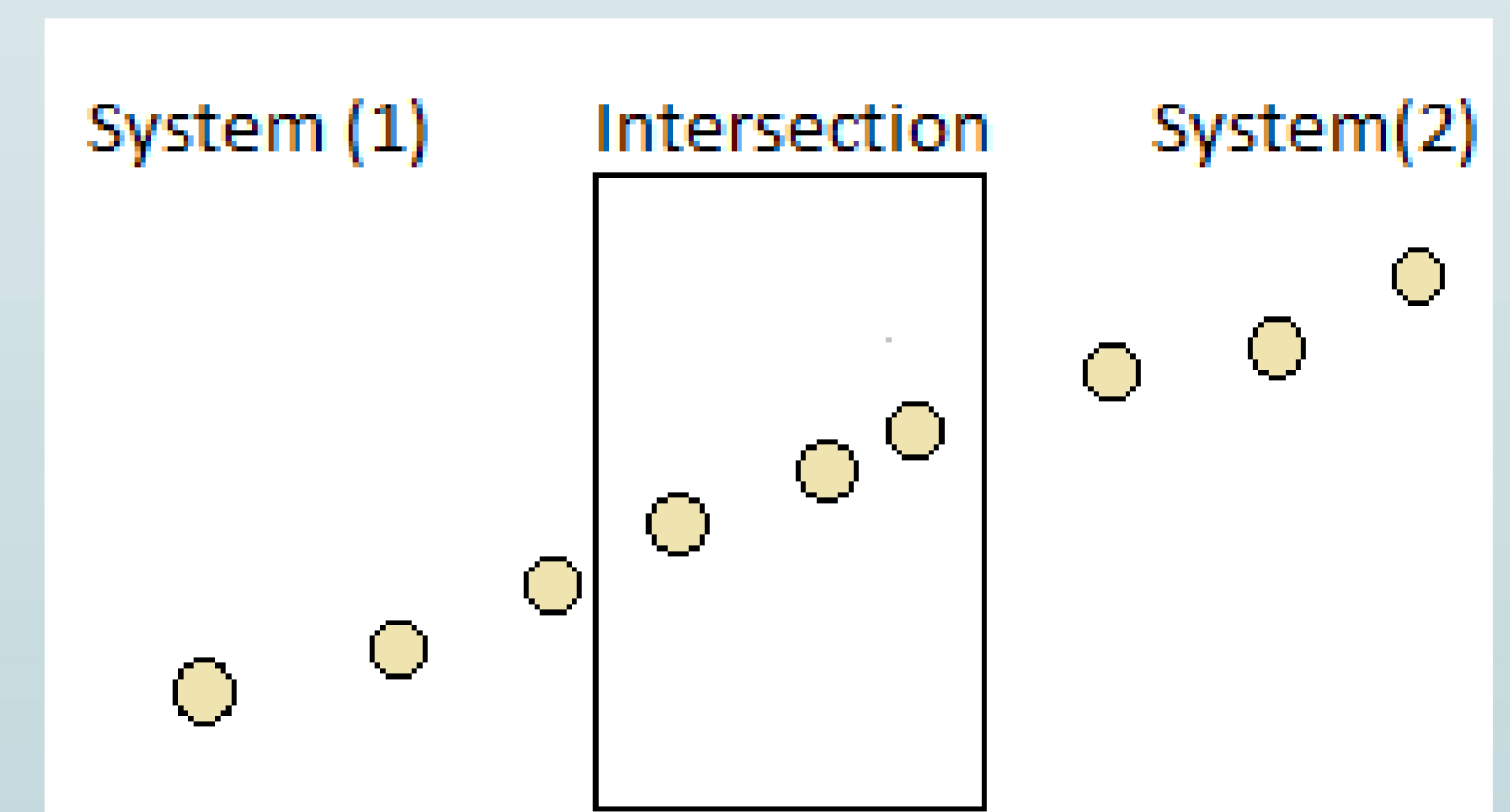
$$XX_{Ci}^n = R_i^n \cdot XX^n + T_i^n$$

- If camera i of system n sees the calibration target of system m , then the relationship between XX_{Ci}^n and XX^m can be written as:

$$XX_{Ci}^n = R_i^m \cdot XX^m + T_i^m$$

- The relationship between XX^m and XX^n can be deduced as:

$$XX^n = [R_i^n]^{-1}[R_i^m \cdot XX^m + T_i^m - T_i^n]$$



A non-zero intersection in the 3D fields observed by the two adjacent 3D-PTV systems should be assumed to establish a link between the trajectories.

- Two 3D coordinates of the two 3D-PTV systems are considered to be "similar", meaning that they correspond to the same particle, if the Euclidean distance between the 3D coordinates, noted below as A and B , is lower or equal than a threshold value s :

$$\|A - B\|_2 = \sqrt{(x_A - x_B)^2 + (y_A - y_B)^2 + (z_A - z_B)^2} \leq s$$

- ❖ s can be also specified through a physical parameter, such as the average particle diameter or according to the experiment accuracy.

- If the similarity criterion is valid for at least three consecutive instants, then the algorithm proceeds to link the trajectories related to those particles, $XX^{(1)}$ and $XX^{(2)}$. The algorithm, therefore, performs a comparison of the 3D coordinates particle by particle and at each time step.

	$XX^{(1)}$	$XX^{(2)}$
t_1	OK	-
t_2	OK	-
t_3	OK	-
t_4	OK \approx	\approx OK
t_5	OK \approx	\approx OK
t_6	OK \approx	\approx OK
t_7	-	OK
t_8	-	OK
t_9	-	OK

Conclusions and Future Studies

- A method is proposed by using multiple 3D-PTV systems applicable for large enclosures such as conference rooms. Several 3D-PTV systems located next to each other are utilized to cover the entire volume measured.
- The calibration of the cameras is described to define a common 3D coordinate system for the particle trajectories.
- An algorithm for linking the particle trajectories is developed based on a similarity criterion.
- The performance of this algorithm will be investigated using the experimental data of two 3D-PTV systems.
- In order to reduce the computational time, a parallelized programming method will be utilized by the aid of FPGAs as a future study.

Bibliography

1. Biwole, P.H., Yan, W., Zhang, Y. and Roux, J.J., 2009. A complete 3D particle tracking algorithm and its applications to the indoor airflow study. *Measurement Science and Technology*, 20(11), p.115403.
2. Heikkila, J. and Silven, O., 1997, June. A four-step camera calibration procedure with implicit image correction. In *cvpr* (Vol. 97, p. 1106).
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4. Bouguet, J.Y., 2004. Camera calibration toolbox for Matlab. http://www.vision.caltech.edu/bouguetj/calib_doc/index.html.