

# Bending creep of notched beams in sheltered outdoors conditions: applications on Gabonese and European wooden species

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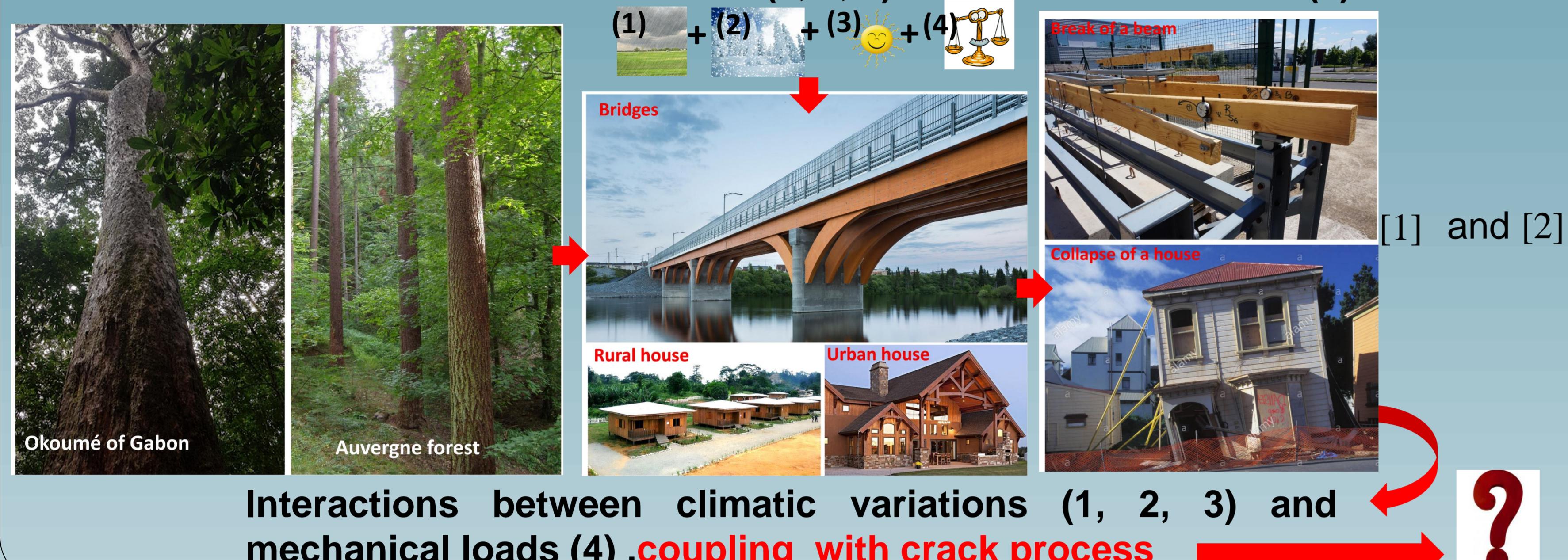
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## 1. Context

Interactions between climatic variations (1, 2, 3) and mechanical loads (4)



## 3. Methods

The characterization is done on tropical wood Iroko (Fig.1a) Padouk (Fig.1b) and Okume (Fig.1c). Specimens ( $L=680 \times 40 \times 60$  mm) were brought back from Gabon to Clermont-Ferrand.

Fig 1: Raw beams of tropical species brought back from Gabon: (a) Iroko (b); Padauk (c); Okume



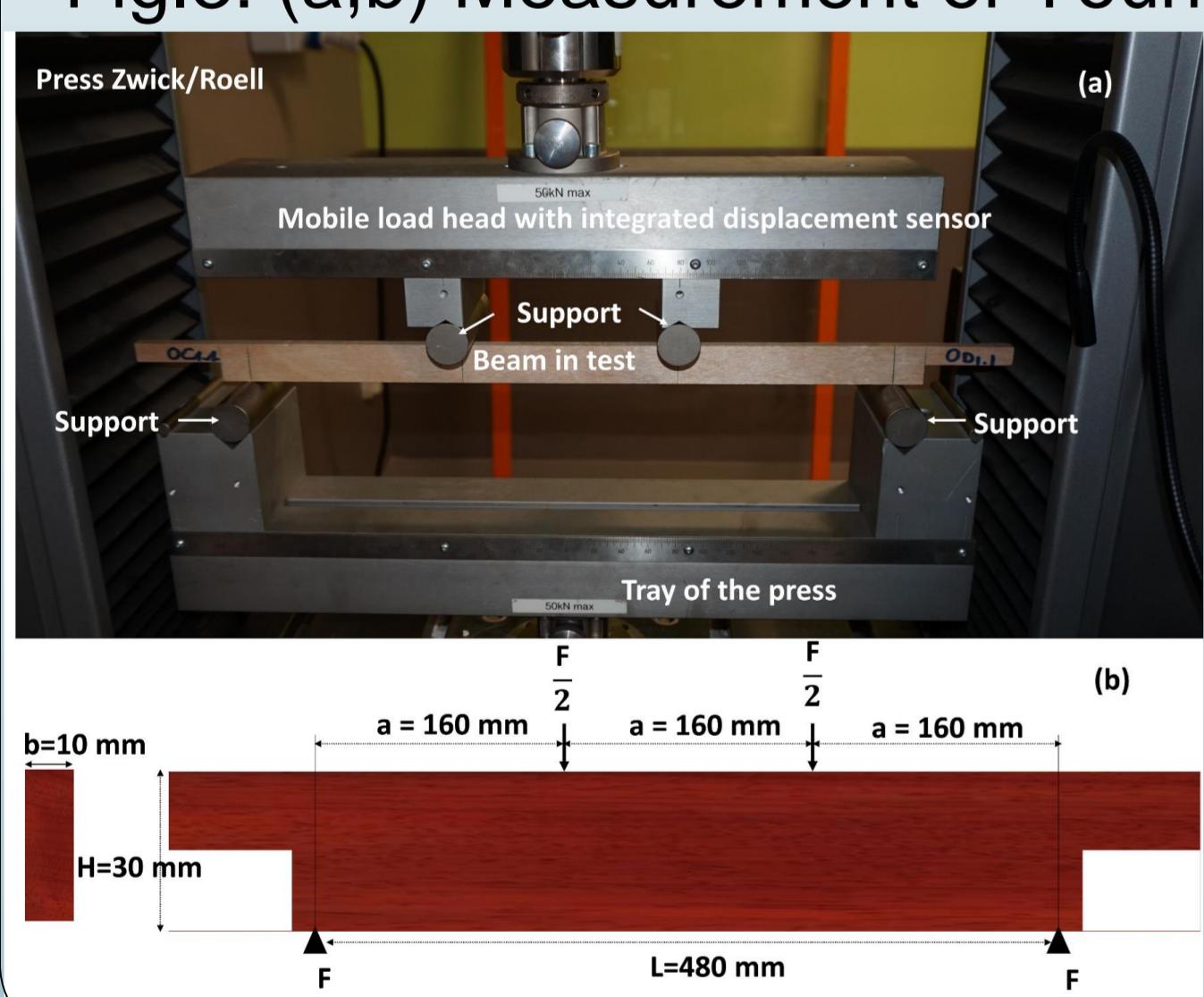
### Determination of specimen geometry:

(9) allowed us to validate the geometry of the beams presented in (Fig. 2)  $l = 38,3$  mm and  $L_r = 63,3$  mm.



## 3.2. Experimental approach

Fig.3: (a,b) Measurement of Young's modulus; (c,d) rupture test



$$E_L = \frac{5L^3}{324I_0(U_2 - U_1)} \quad (10)$$

$$F_{load} = \frac{bH^2 E_L \varepsilon_{load}}{L} \quad (11)$$

$$\varepsilon = \frac{864H}{167L^2} y \quad (12)$$

$$y = \frac{FL^3}{EI_0} \left( \frac{5}{324} + \frac{7}{48} \left( \frac{1}{\alpha} \right)^3 \right) \quad (13)$$

## 4. Results

Wood	Density	MC (%)	$E_{L(10)}$ (MPa)
Okume	0,47(0,03)	13,11(0,58)	7 694(421)
Padouk	0,77(0,09)	10,44(1,12)	10 898(748)
Iroko	0,60(0,06)	10,96 (0,56)	10 194(277)

In ()=Standard deviation; MC =moisture content,  $E_{L(10)}$ =Longitudinal Young's modulus given by (10)

Wood	$\varepsilon_e$ (%)	$\varepsilon_{c1}$ (%)	$\varepsilon_b$ (%)	$\varepsilon_{load}$ (%)	$F_{load}$ (daN)	$F_{c1}$ (daN)	$F_b$ (daN)
Okoumé	0,183(0,015)	0,313(0,051)	0,51 (0,096)	0,26	29,64	36,6(39)	51,1(67)
Padouk	0,234(0,023)	0,394(0,064)	0,509(0,062)	0,27	43,42	59,7(97)	68,8(130)
Iroko	0,157(0,017)	0,202(0,026)	0,203(0,024)	0,16	25,34	30,4(30)	30,4(30)

In ()=Standard deviation ; $F_{c1}$  =critical force;  $F_b$  =rupture force ;  $\varepsilon_e$ =elastic limit  $\varepsilon_{c1}$ = critical strain  
 $\varepsilon_b$  =rupture strain;  $y$ =deflection;  $\varepsilon$ = strain of the beam during the test ;  
 $F_{load}$ =Loading force for creep test;  $\varepsilon_{load}$ = Loading strain for creep test

## 6. Conclusion

This study presents the dimensioning and the characterization of the beams in outdoor conditions. It is based on strength of materials and experimental approaches. This approaches enabled us to validate the specimens geometry and to estimate the loading strain and the loading forces for the creep test.

## 2.Objective

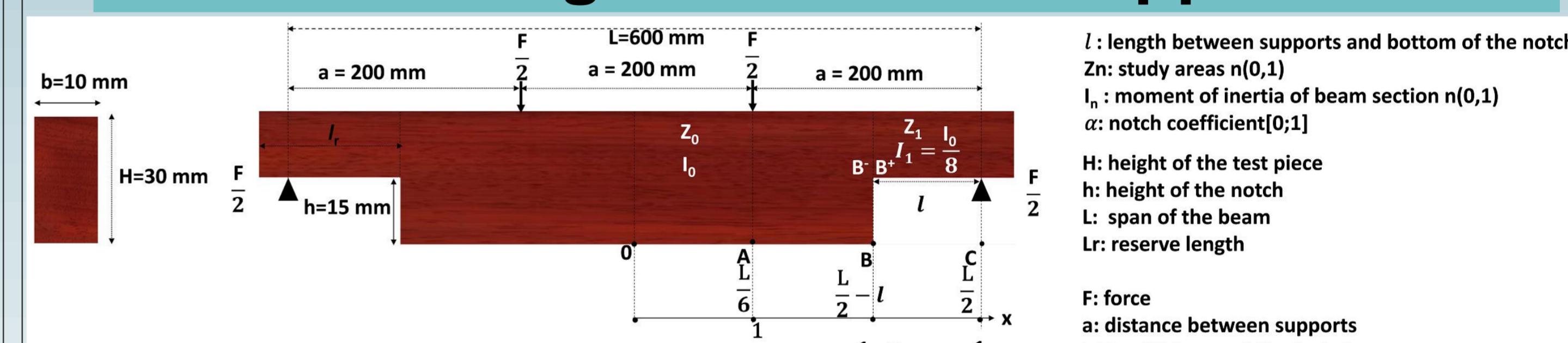
### □ General objective:

- Evaluate the influence of initial defects on the structural response and crack propagation, and adapt the design codes to the context of structural use of wood in tropical and temperate environments

### □ Specific objectives:

- creep tests in 4-point bending of notched beams in sheltered outdoor conditions
- Characterization of diffusion process
- Coupling between rupture, creep and sorption

## 3.1. Strength of Materials approach



$$\sigma_0 = \frac{HM_0}{2I_0} \quad (1)$$

$$\sigma_1^{B-} = \frac{3HM_0}{4I_0} \alpha \quad (2)$$

$$\sigma_1^{B+} = \frac{3HM_0}{I_0} \alpha \quad (3)$$

$$\sigma_1^{B-} \leq \sigma_1^{B+} \quad (4)$$

$$\text{if } \sigma_1^{B+} = \sigma_0 \rightarrow \alpha = \frac{1}{6}$$

$$(7) \rightarrow l = \frac{L}{12}$$

$$I_0 = \frac{BH^3}{12} \quad (5)$$

$$M_0 = \frac{FL}{6} \quad (6)$$

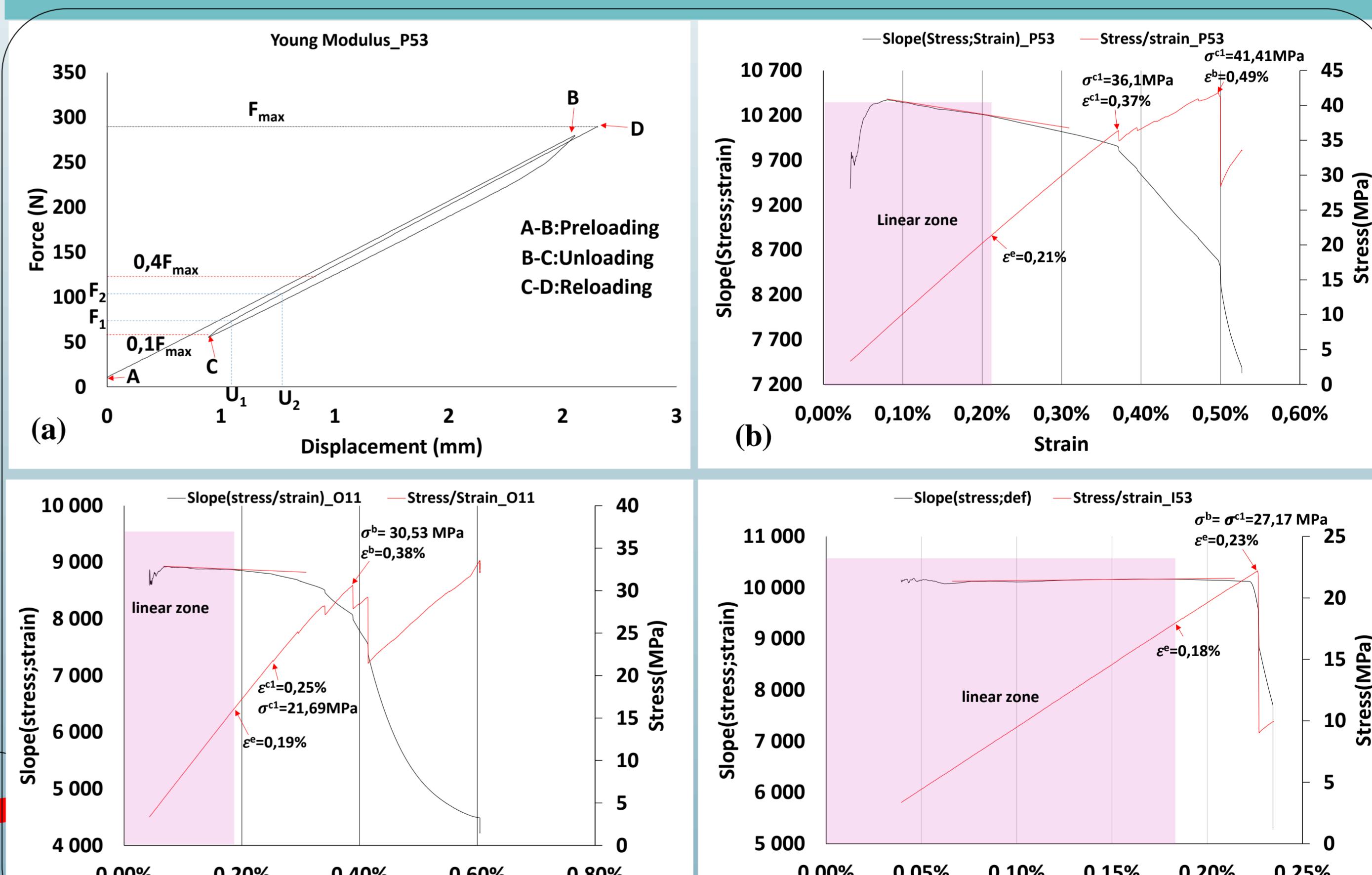
$$l = C - B = \frac{\alpha L}{2} \quad (7)$$

$$\alpha = 1 - \frac{2x(B^+)}{L} \quad (8)$$

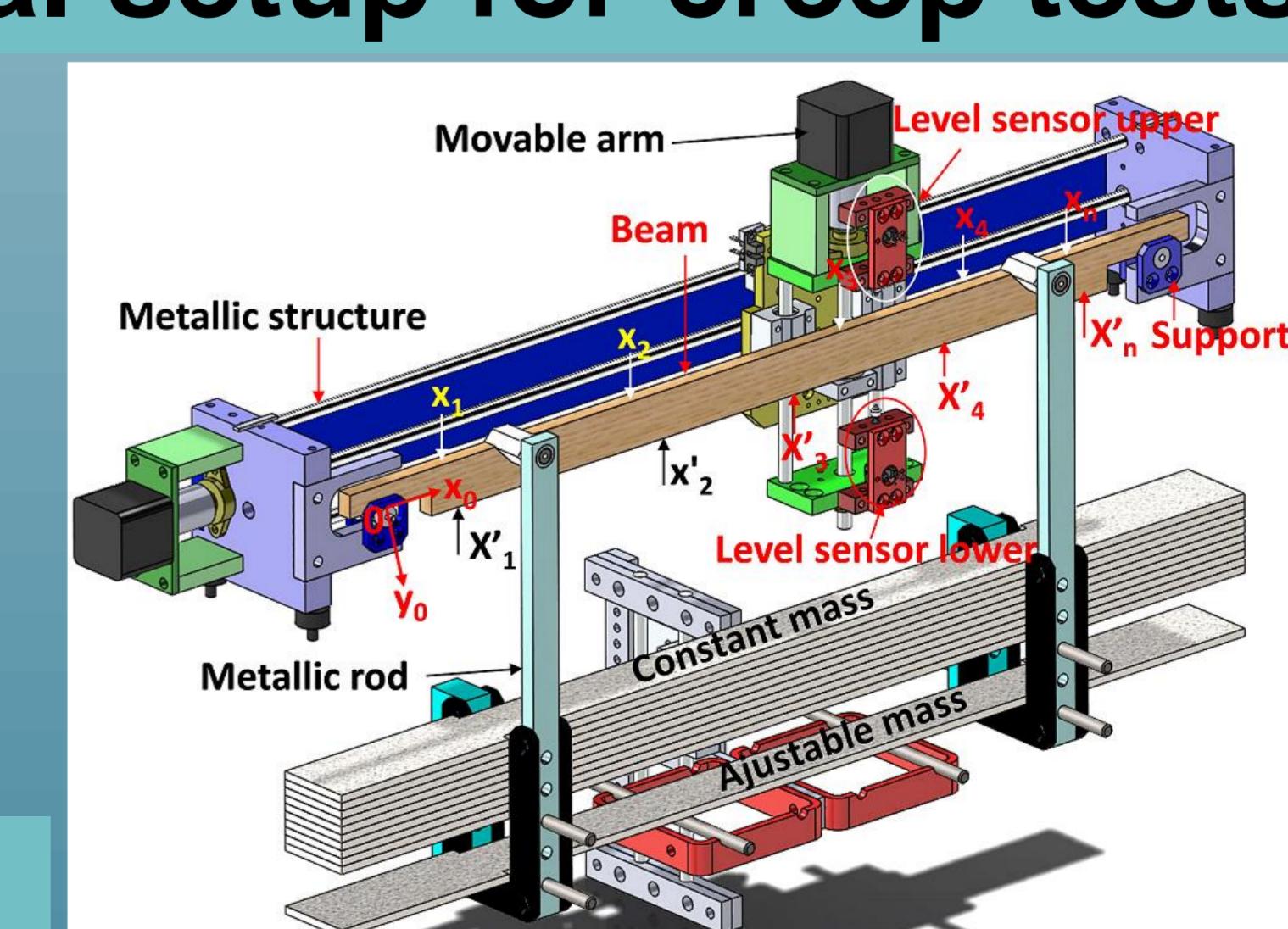
For  $\alpha < 1/6$ , the stress in  $Z_1$  is lower than in  $Z_0$ :  $\sigma_1^{B+} \leq \sigma_0$

For this the condition on  $l$  is:  $l \leq \frac{L}{12} = 50$  mm (9)

## 4.Results



## 5. Experimental setup for creep tests



## Bibliography

- H. Randriambololona., Modélisation du comportement diffère du bois en environnement variable. Thèse de doctorat Université de Limoges, 2003.
- N. Angellier, F. Dubois, R. Moutou Pitti, M. Diakhaté, R. Spero Adjovi Loko, Influence of hydrothermal effects in the fracture process in wood under creep loading, Engineering Fracture Mechanics 177 (2017) 153–166.